# Studies of the response of a BaF2 calorimeter

Iryna Chaikovska LAL, Orsay

- Geant4 simulation
- Optical photons generation
- Timing
- Electronics response

#### **Motivation**

- to understand the physics inside the calorimeter
- to have an idea about timing of optical photons in the scintillator
- to estimate the time and energy resolution of the scintillator

• ....

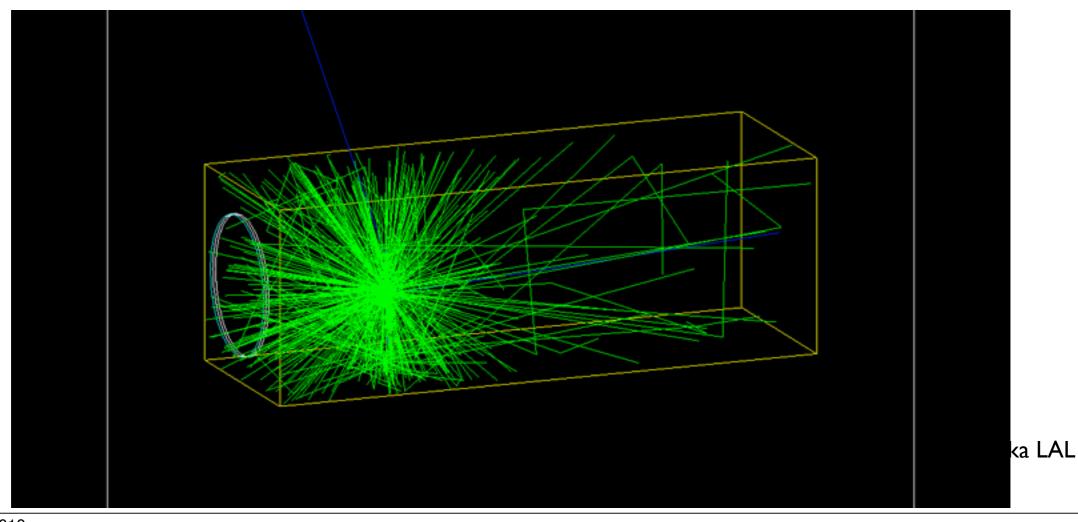
#### To do this we use Geant4 toolkit

(v4.9.4.b01)

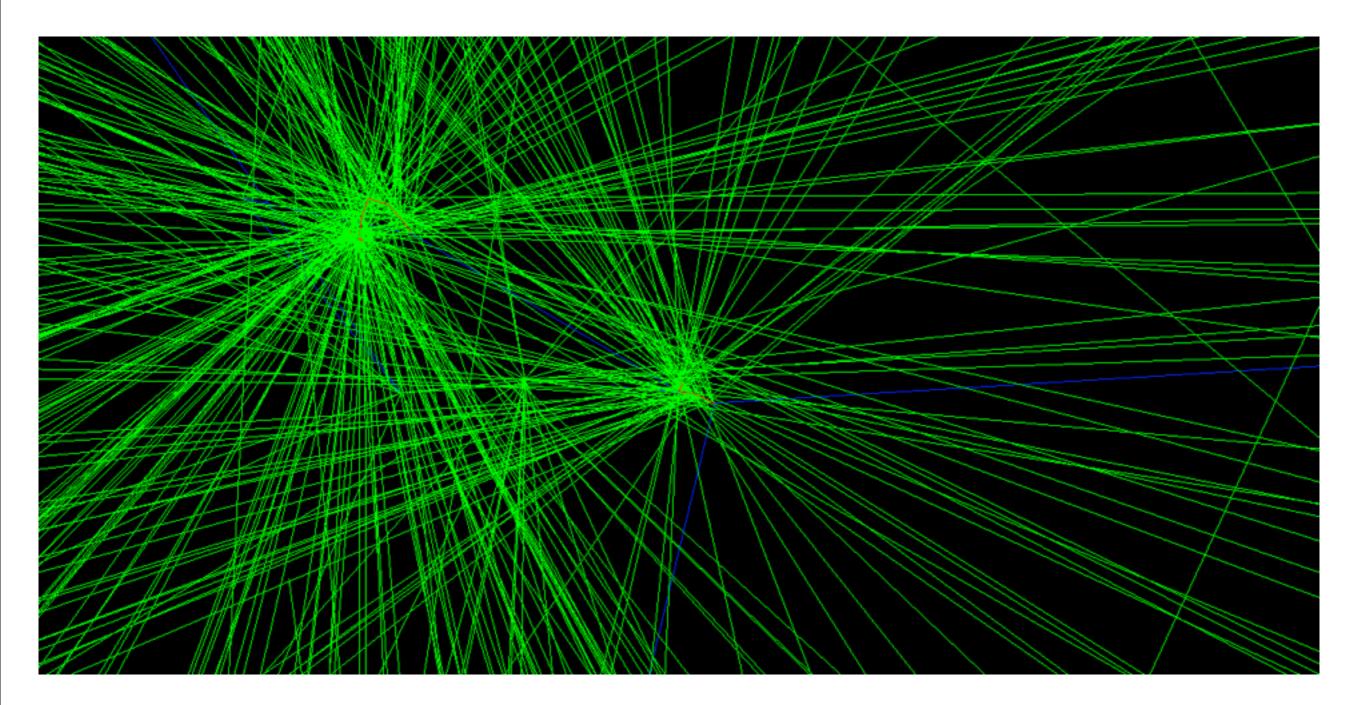
#### Detector model

#### Geometry:

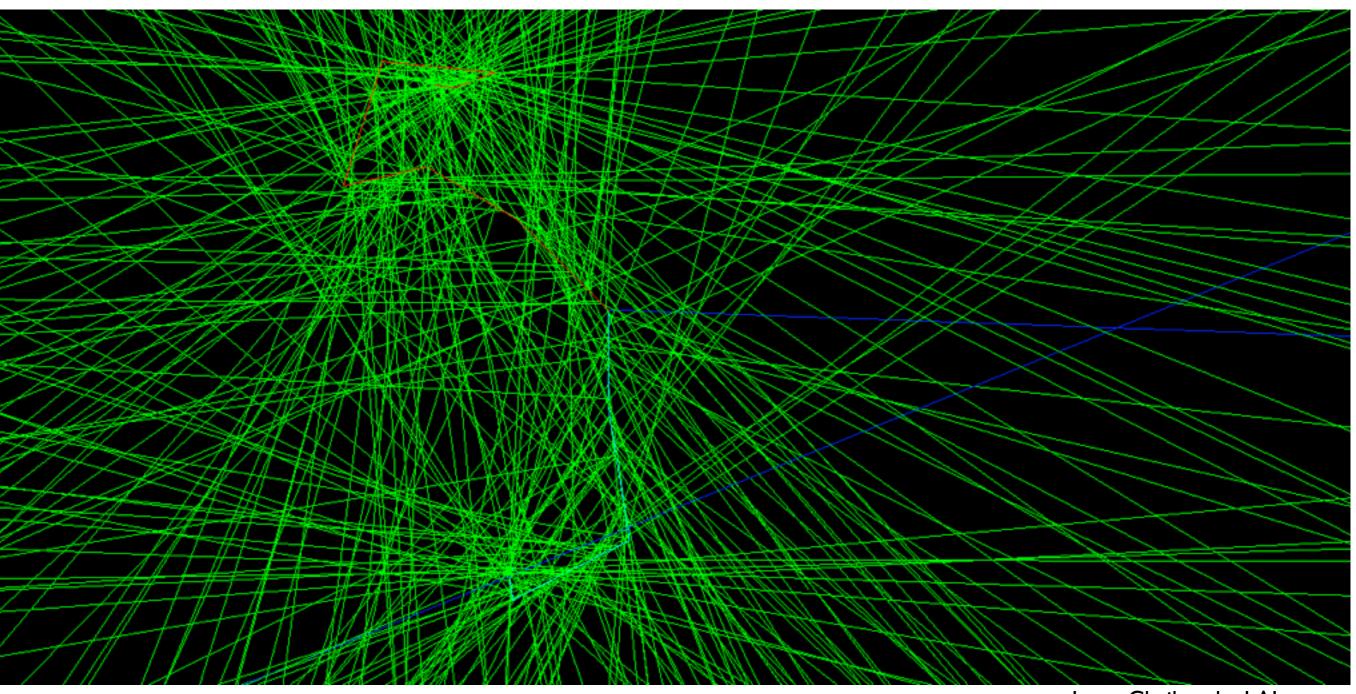
- One piece of 200mm x 70mm x 70 mm (the optical surface between two pieces should be added)
- All surfaces are polished;
- Wrapping: absorbing teflon;
- UV filter (should be implemented soon);



### Vertices of the gamma interaction inside the scintillator



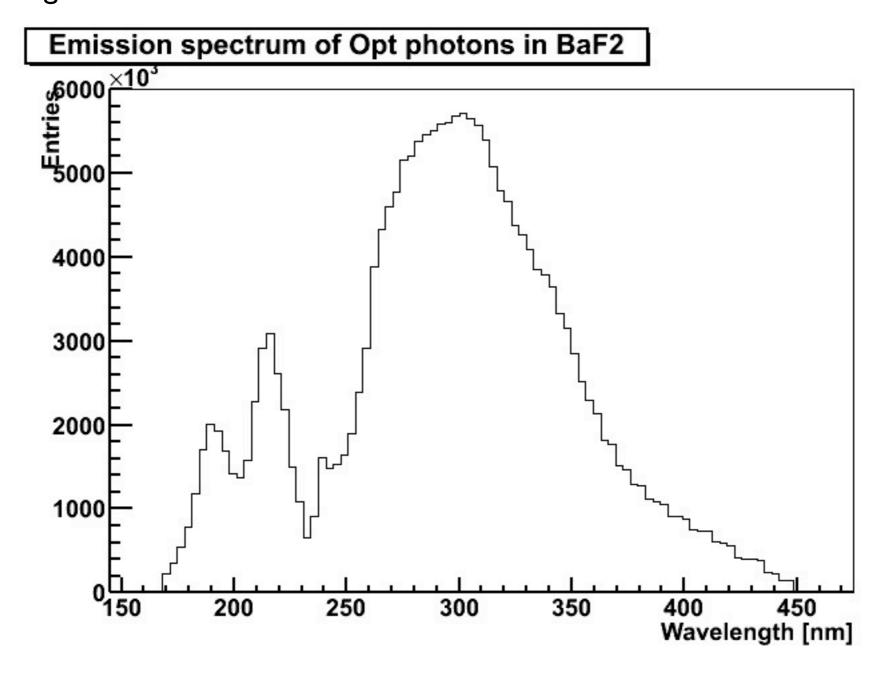
### Vertices of the gamma interaction inside the scintillator



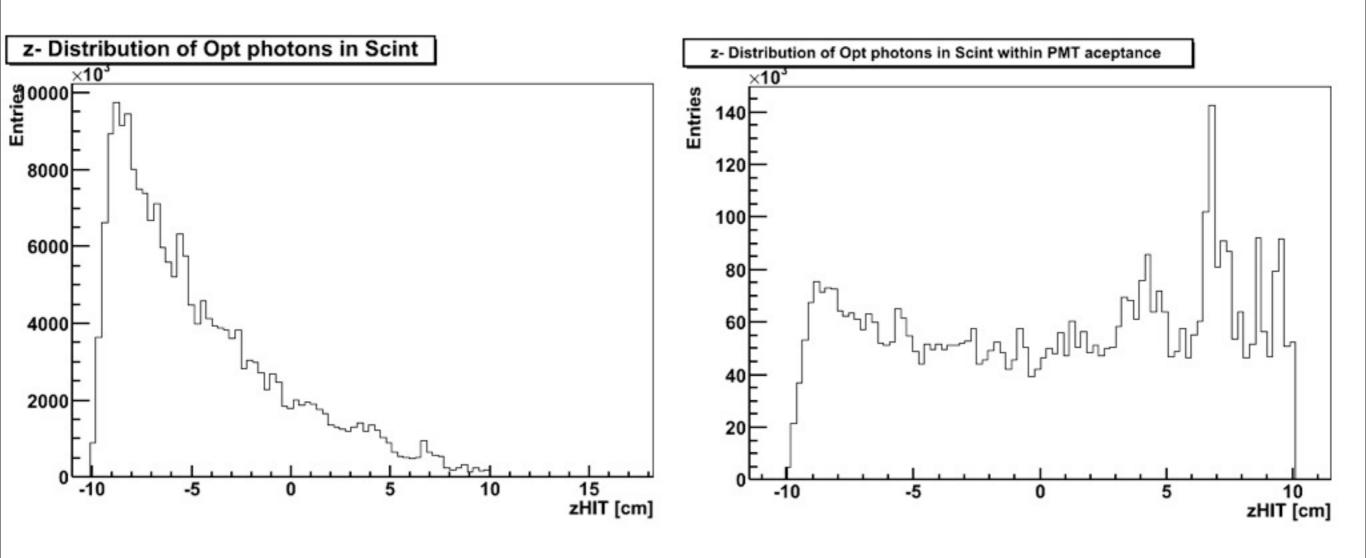
## Emission spectrum of optical photons produced in BaF<sub>2</sub>

Egamma = 20 MeV

Statistics 1000 events

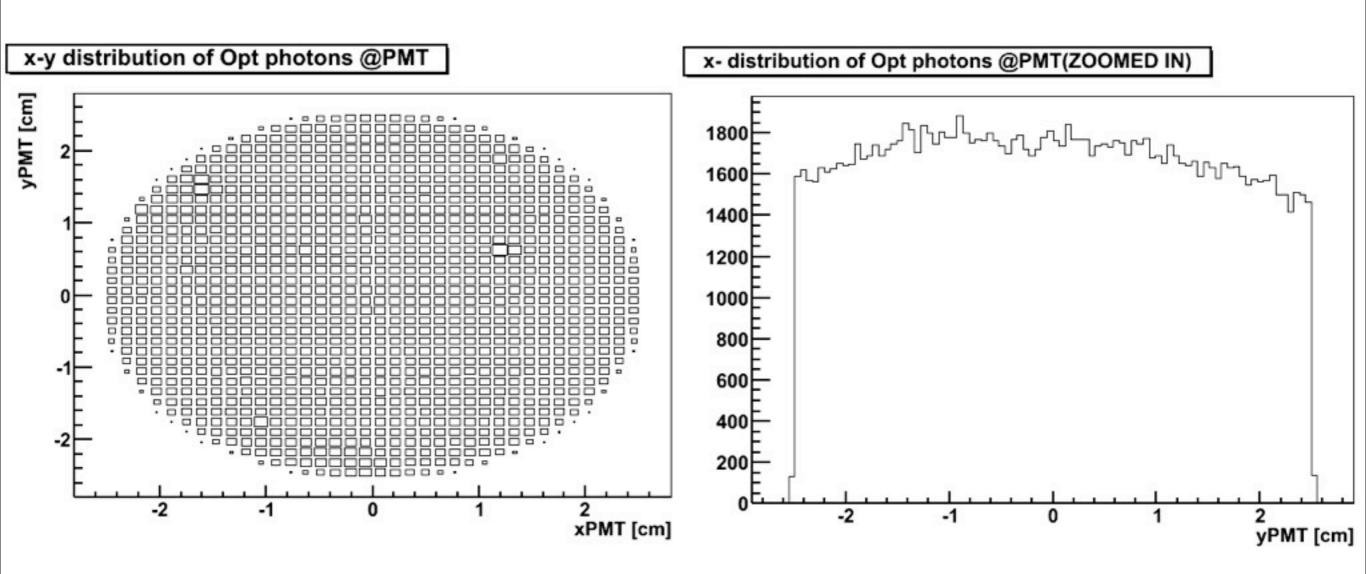


## Location where the optical photons are produced inside the scintillator



The optical photons contribution to the signal at the PMT is uniform in z (along the crystal)

#### Optical photons at the PMT



The optical photons hit the PMT uniformly.

## Calorimeter's time response

#### Detection process

- Gammas absorption and light emission
- Light collection at the photocathode
- Production of photoelectrons
- Collection of photoelectrons
- Multiplication by PMT dynodes
- Electronics

#### Time resolution

- Intrinsic resolution of the crystal (scintillation emission time)
- Transfer resolution (light propagation time in scintillator)
- PMT contribution (transit time of single photoelectron)

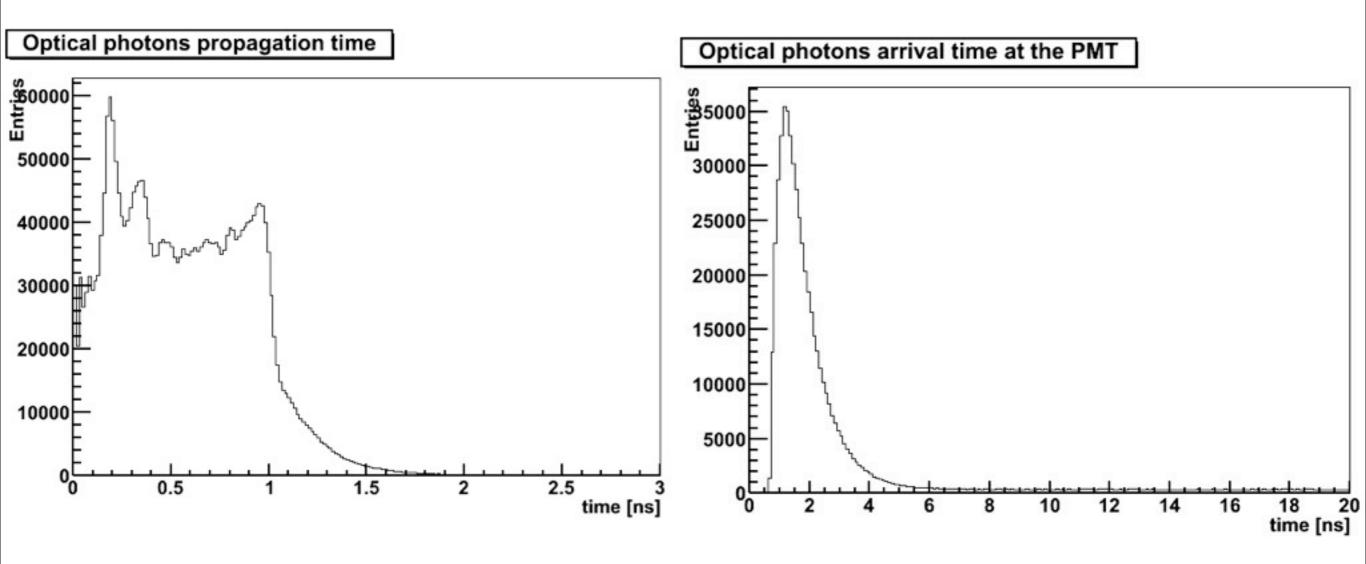
• .... PMT simulation is still to be done

$$t_{pe} = t_{emit} + t_{pro} + t_{PMT}$$

#### Timing of optical photons

#### Propagation time

#### Time of arrival at the PMT



The contribution of the propagation time to the signal duration is about I ns. The total signal duration (including  $t_{prop}$  and  $t_{emit}$ ) at the exit of the crystal is approximately 2 ns.

### Simulation for DAQ system

We develop a matlab simulation to understand

- effect of the optical filter
- PMT response (rough)
  Voltage divider to be done!
- limited ADC resolution
- time sampling
- bandwidth

### Signal Model

$$S_s(t) = \frac{A_s}{2\tau_s} e^{\frac{\sigma^2}{2\tau_s^2} - \frac{t - t_0}{\tau_s}} \operatorname{erfc}\left(\frac{\sigma}{\sqrt{2}\tau_s} - \frac{t - t_0}{\sqrt{2}\sigma}\right)$$

$$S_f(t) = \frac{A_f}{2\tau_f} e^{\frac{\sigma^2}{2\tau_f^2} - \frac{t - t_0}{\tau_f}} \operatorname{erfc} \left( \frac{\sigma}{\sqrt{2}\tau_f} - \frac{t - t_0}{\sqrt{2}\sigma} \right)$$

$$S(t) = S_f(t) + S_s(t)$$

<b>A</b> <sub>f</sub>	0.18
As	0.82
$T_f$	0.8 ns
$T_s$	630 ns
σ	0.4 ns
t <sub>0</sub>	5 ns

 $A_f, A_s,\,$  - relative light yields ;

 $au_S, au_f$  - the decay constants of the light;

 $\sigma$  - variance of the Gaussian response of the PMT to a light pulse;

 $t_0$  - starting point of the time interval;

$$S_{RC} = \frac{A_r}{\theta} e^{-\frac{t-t0}{\theta}} \operatorname{erfc} \left( \frac{\sigma}{\sqrt{2}\theta} - \frac{t-t0}{\sqrt{2}\sigma} \right) \longrightarrow \text{response of RC (voltage divider) circuit should be understood}$$

#### One train of 10 bunches

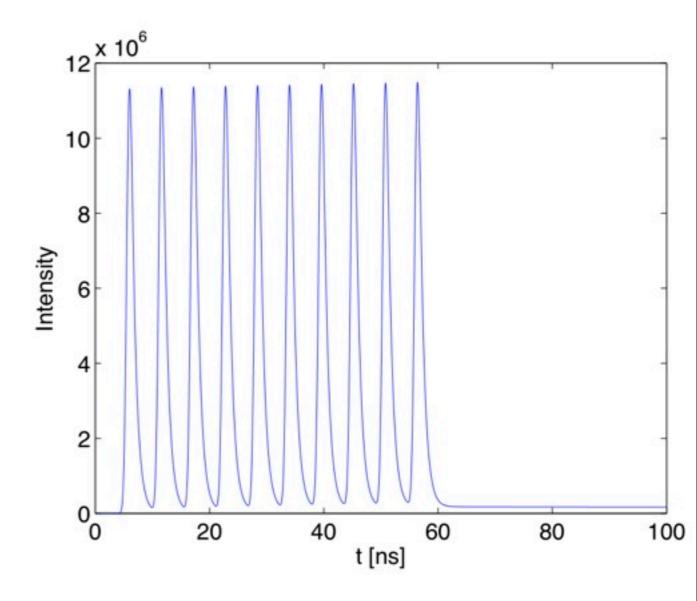
#### w/o UV-filter

60

t [ns]

80

#### with UV-filter



Iryna Chaikovska LAL

100

20

40

 $12 \frac{x}{10^7}$ 

10

8

6

4

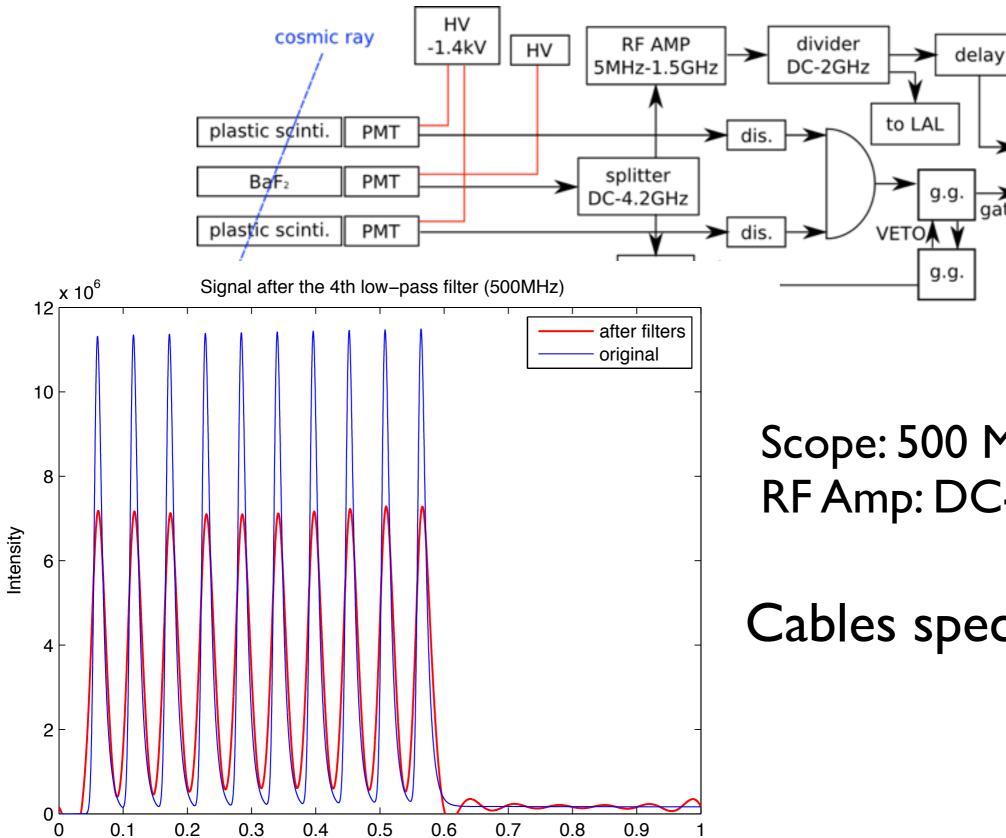
2

Intensity

#### Effect of bandwidth limitation

x 10<sup>-7</sup>

ıт



Time (s)

Scope: 500 MHz RF Amp: DC-150 MHz

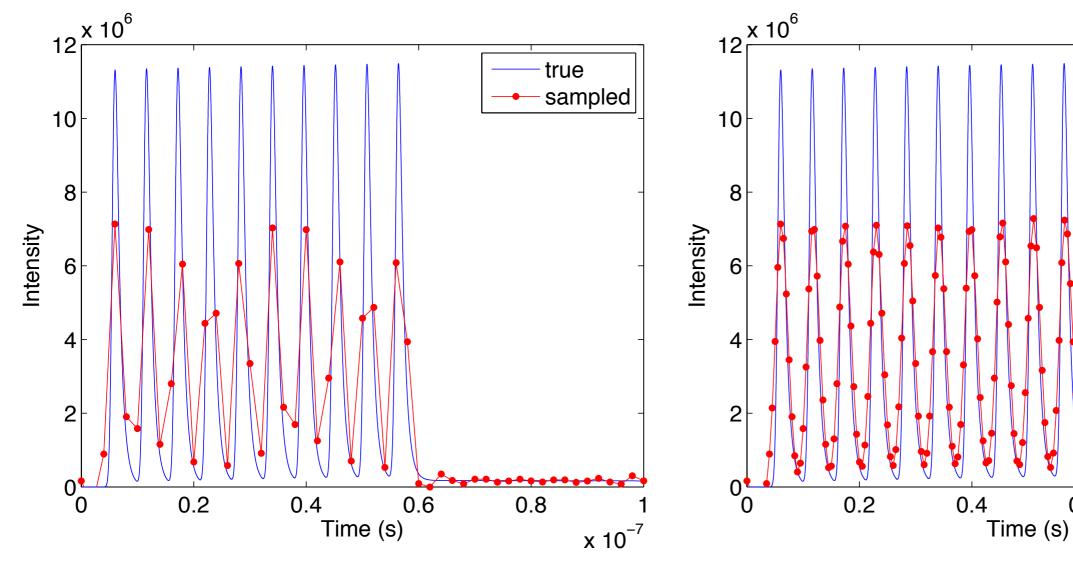
Cables specifications???

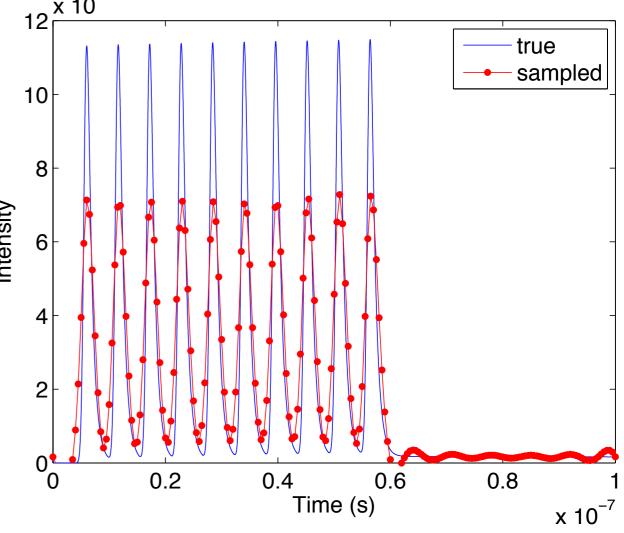
ADC

#### Effect of sampling rate

0.5 Gs/s

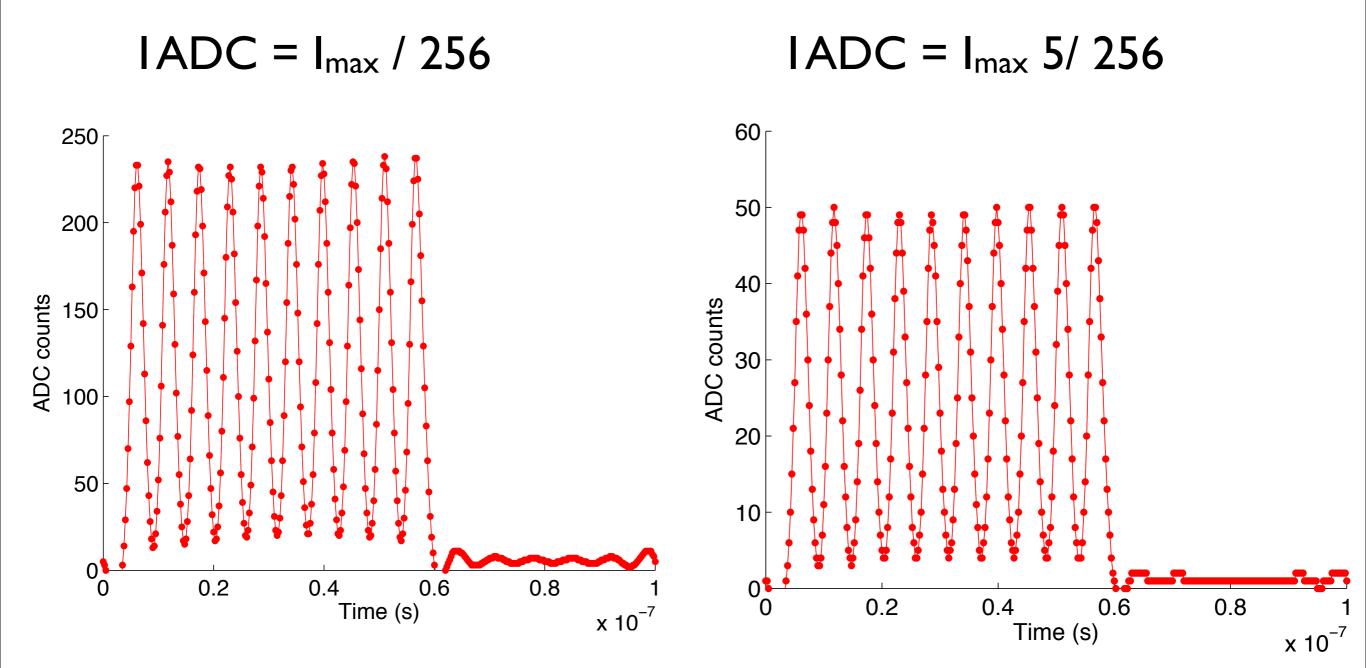
2 Gs/s





Iryna Chaikovska LAL

#### Limited ADC resolution (4GS/s with 8bits ADC)



Trade-off between max dynamic range & resolution

### Summary

At present, we are working to understand the calorimeter

We are specifying a fast DAQ system to acquire the Compton signal.

Next plan: study the PMT response to the signal from the crystal.